

# Compiler Construction

Lecture 22: Code generation

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# Overview

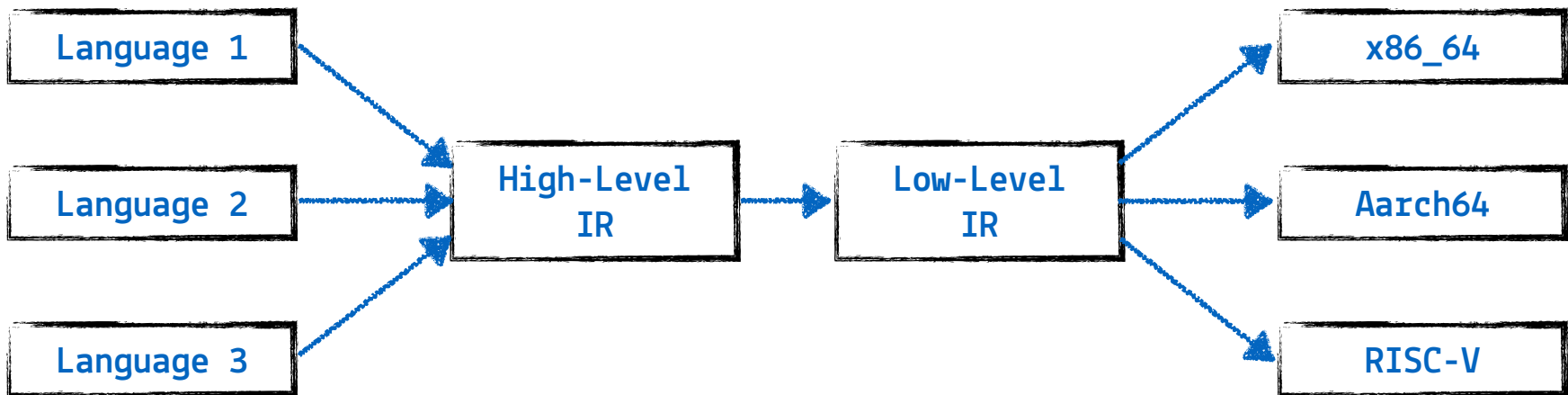
- Instruction selection
- Register allocation (next lecture)

# Where are we now?

- We have a fairly low-level view of the program, but
  - It features a memory model of infinite temporary variables
  - It isn't specific in terms of operations provided by the architecture
- These will be our last two topics
  - Selecting machine-specific operations
  - Mapping variables to memory locations

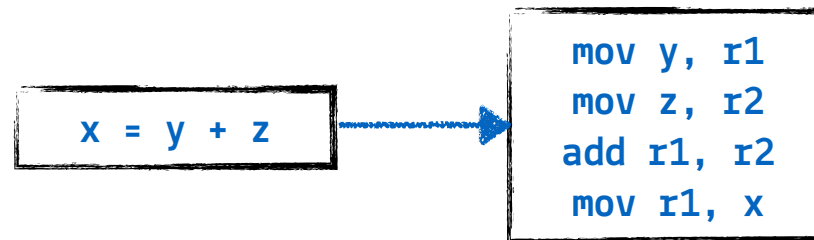
# Low-level IR vs. machine level

- The instructions of a low-level IR are not the same as the ones of the target machine



# Straight forward solution

- Map every low-level IR to a fixed sequence of assembly instructions



- Disadvantages:
  - Lots of redundant operations
  - More memory traffic than necessary

# Multiple possible alternatives

- Translate  $a[i+1] = b[j]$  using these operations

add r2, r1	← $r1 = r1 + r2$
mul c, r1	← $r1 = r1 * c$
load r2, r1	← $r1 = *r2$
store r2, r1	← $*r1 = r2$
movem r2, r1	← $*r1 = *r2$
movex r3, r2, r1	← $*r1 = *(r2 + r3)$

# General code generation steps

- Let us assume that everything is represented by 8-byte elements, and
  - Register  $r_a$  holds  $\&a$
  - Register  $r_b$  holds  $\&b$
  - Register  $r_i$  holds  $i$
  - Register  $r_j$  holds  $j$

$a[i+1] = b[j]$  needs to

- Find address of  $b[j]$
- Load  $b[j]$
- Find address of  $a[i+1]$
- Store into  $a[i+1]$

# One translation

- Address of  $b[j]$ 
  - `mulc 8, rj`
  - `add rj, rb`
- Load  $b[j]$ 
  - `load rb, r1`
- Address of  $a[i+1]$ 
  - `add 1, ri`
  - `mulc 8, ri`
  - `add ri, ra`
- Store into  $a[i+1]$ 
  - `store r1, ra`

TAC

```
t1 = j * 8
t2 = b + t1
t3 = *t2
t4 = i + 1
t5 = t4 * 8
t6 = a + t5
*t6 = t3
```



# Another possible translation

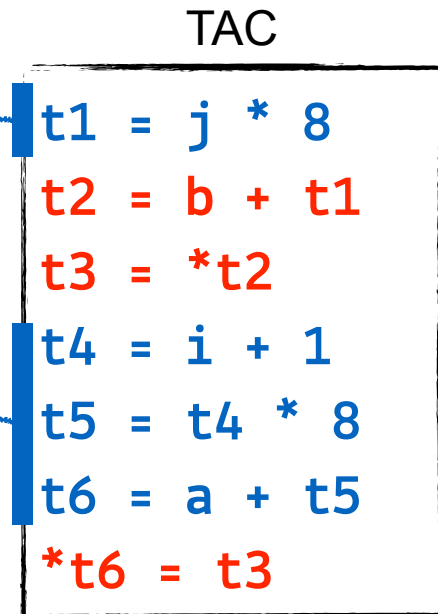
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# One more translation

- Address of  $b[j]$ 
  - `mulc 8, rj`
- Address of  $a[i+1]$ 
  - `add 1, ri`
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- Store into  $a[i+1]$ 
  - `movex rj, rb, ra`

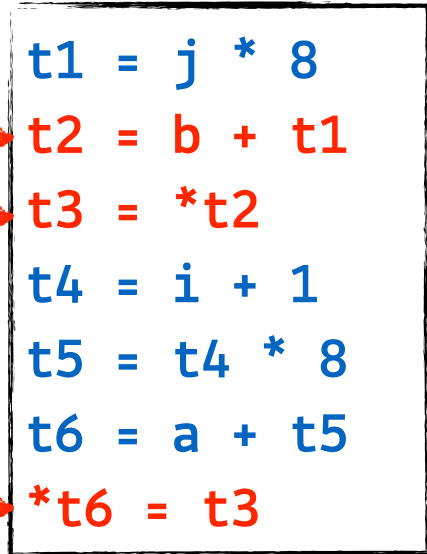


# Why should we care?

- Not all instructions are created equal
- Some complete in a clock cycle
- Others decompose into a sequence of steps, and take many cycles
- If we have a choice of translations, we'd like the one with the smallest sum of costs

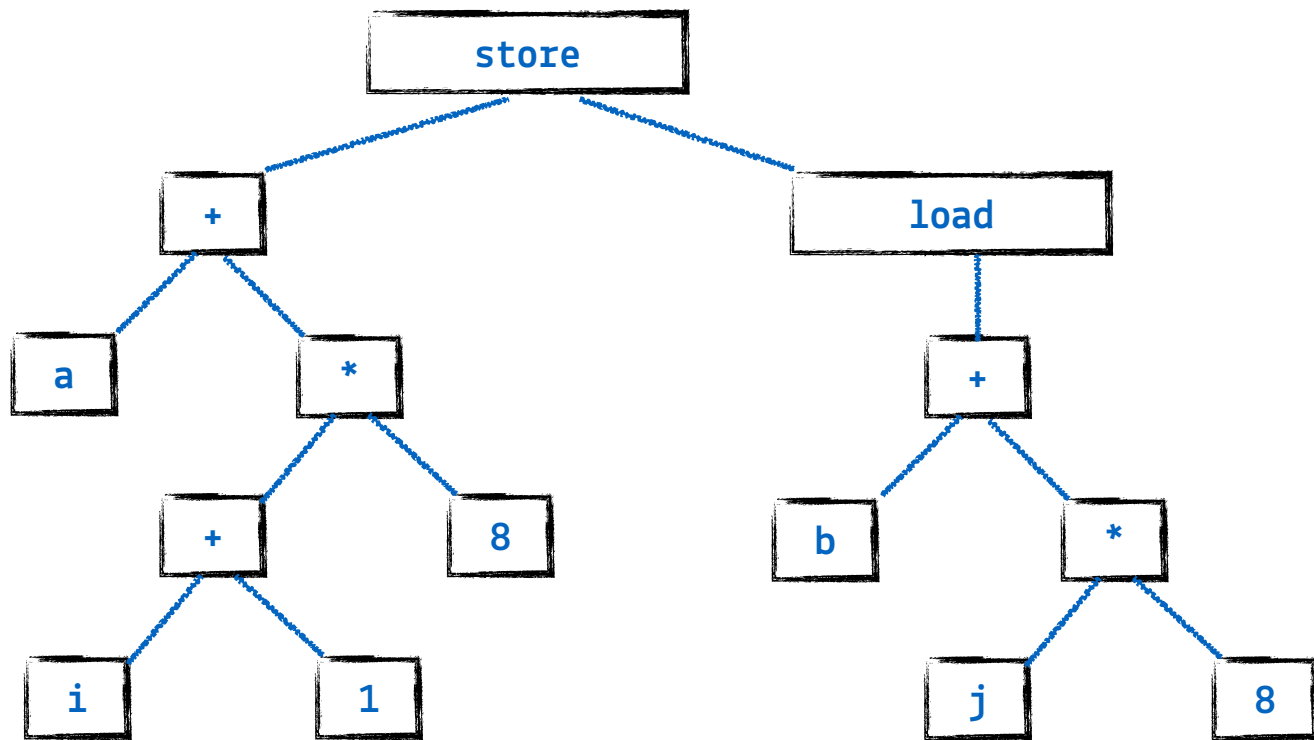
# Partial instructions aren't necessarily adjacent

- Address of `b[j]`
  - `mulc 8, rj`
- Address of `a[i+1]`
  - `add 1, ri`
  - `mulc 8, r1`
  - `add ri, ra`
- Store into `a[i+1]`
  - `movex rj, rb, ra`



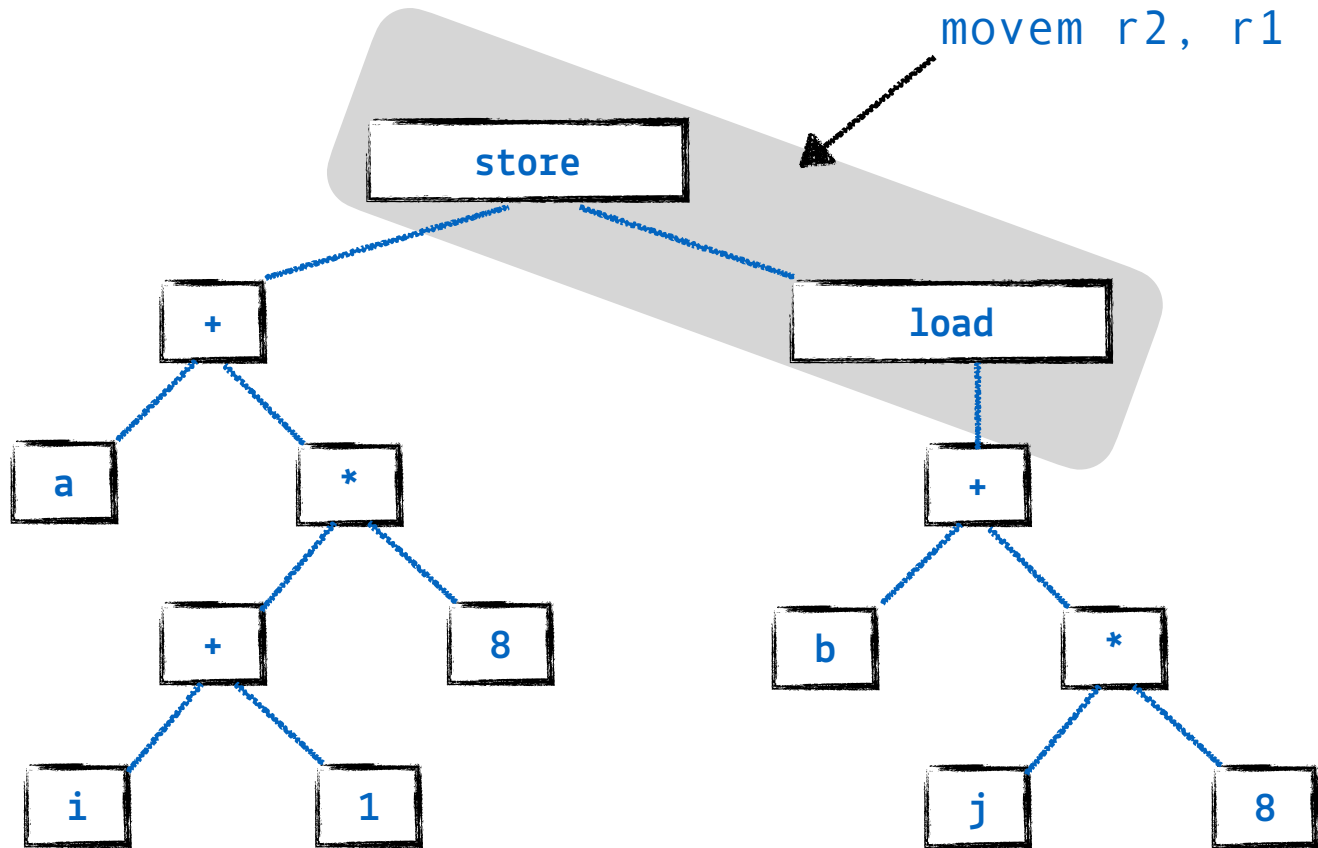
# Tree representation

- The 4 overall steps can be written as a tree



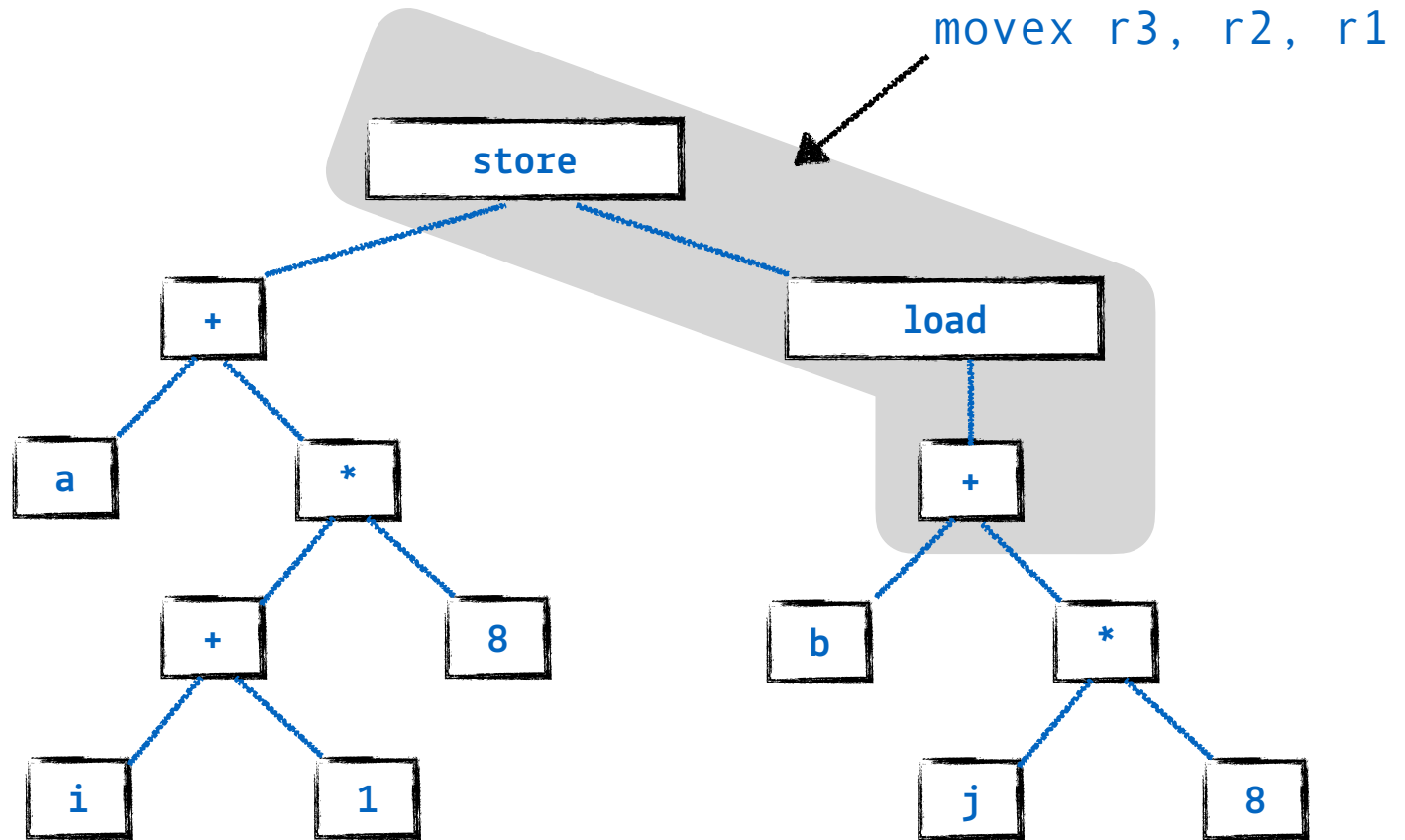
# Instructions can be *tiles*

- tile = subtree of a particular pattern



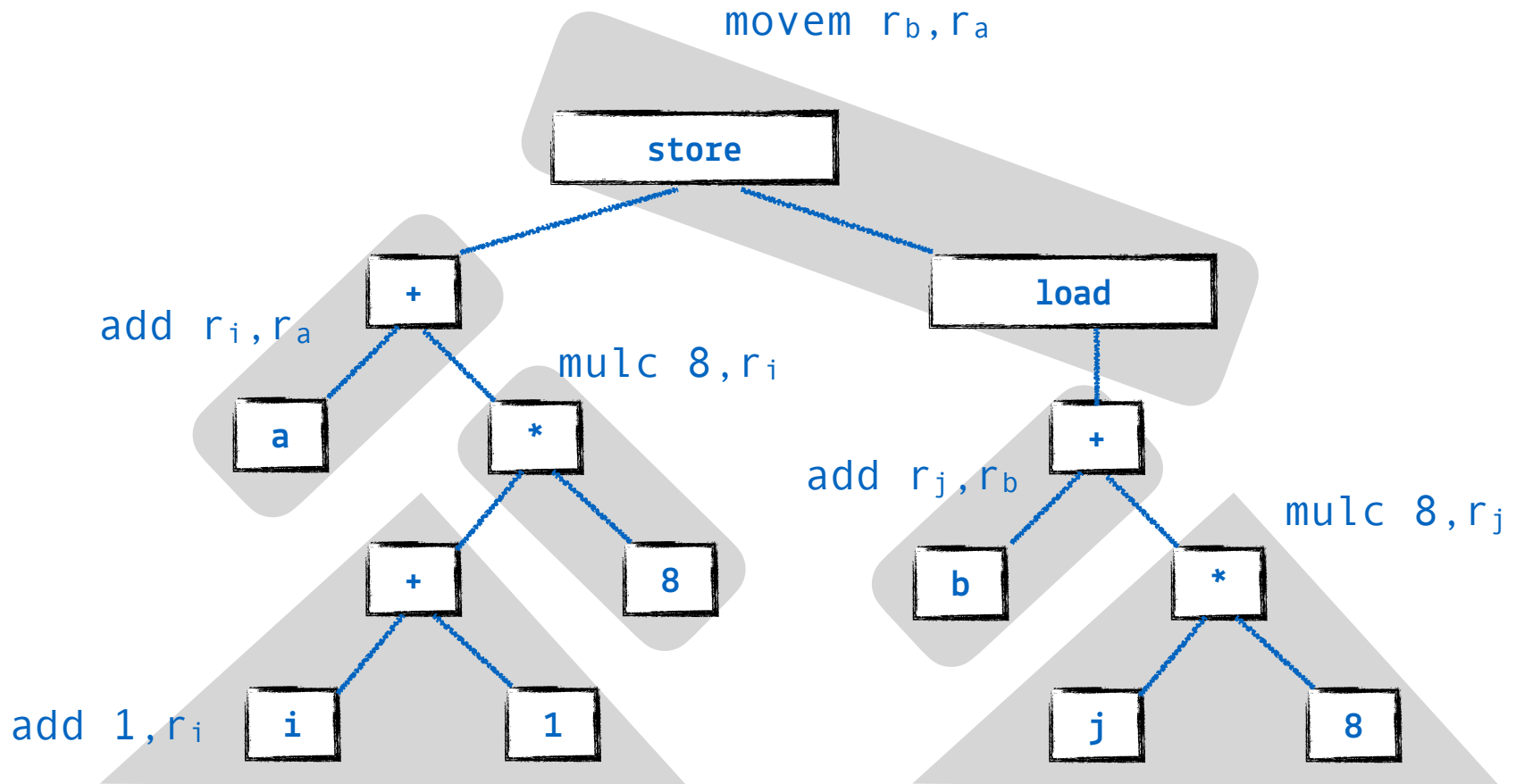
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# Tiling

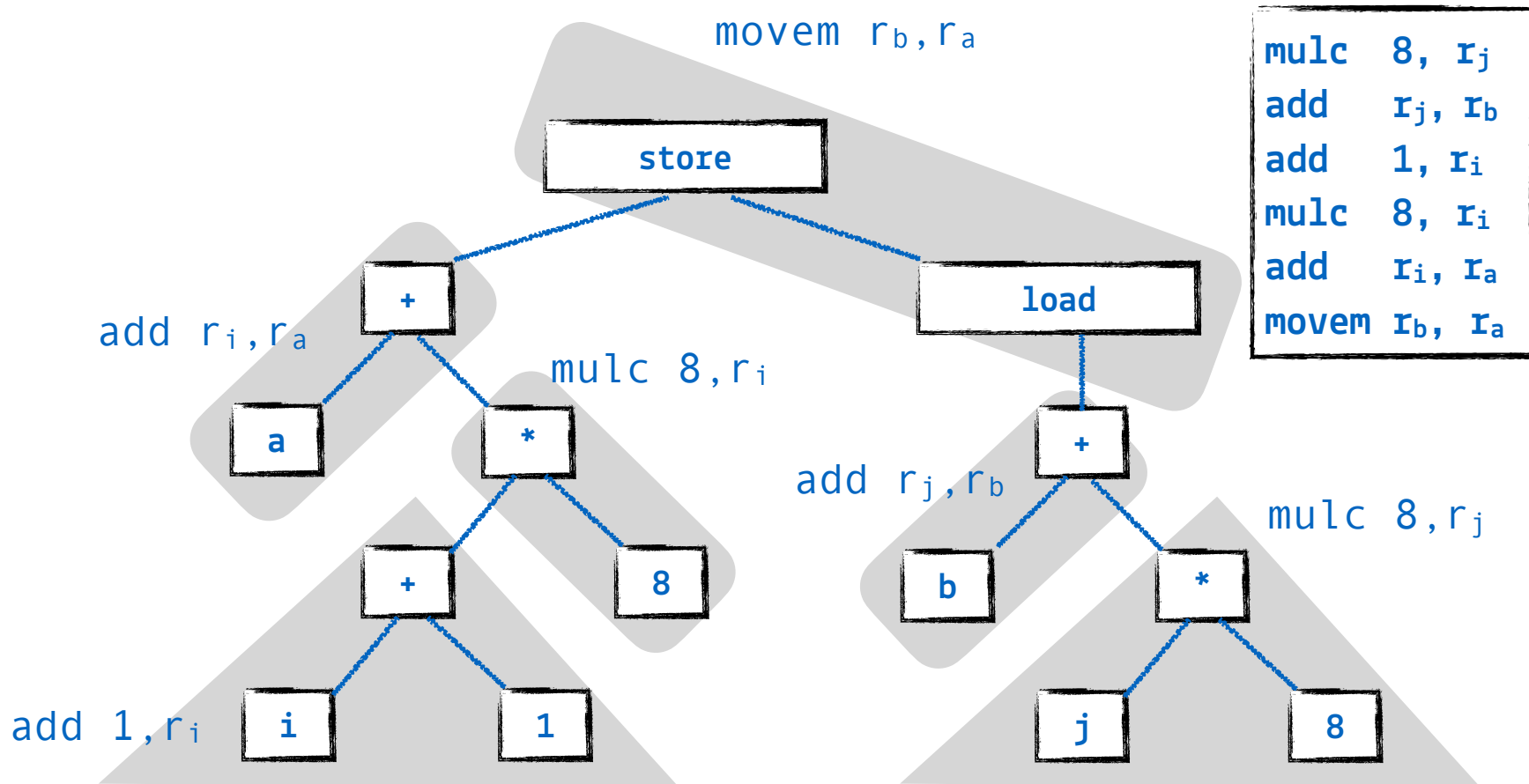
- An instruction selection covers the tree with disjoint tiles





# Tiling

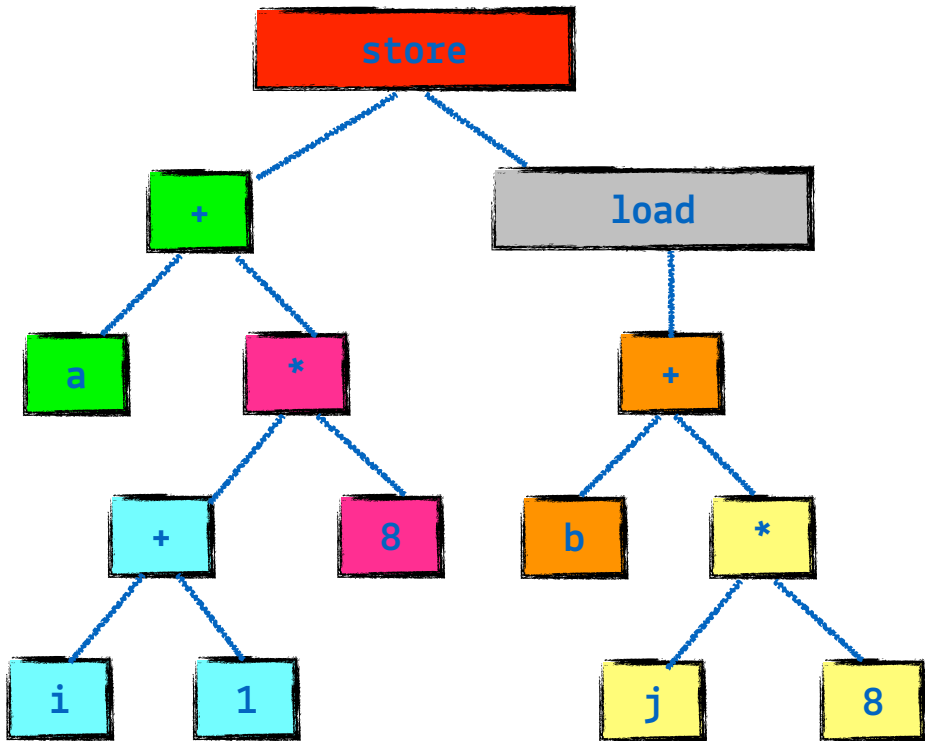
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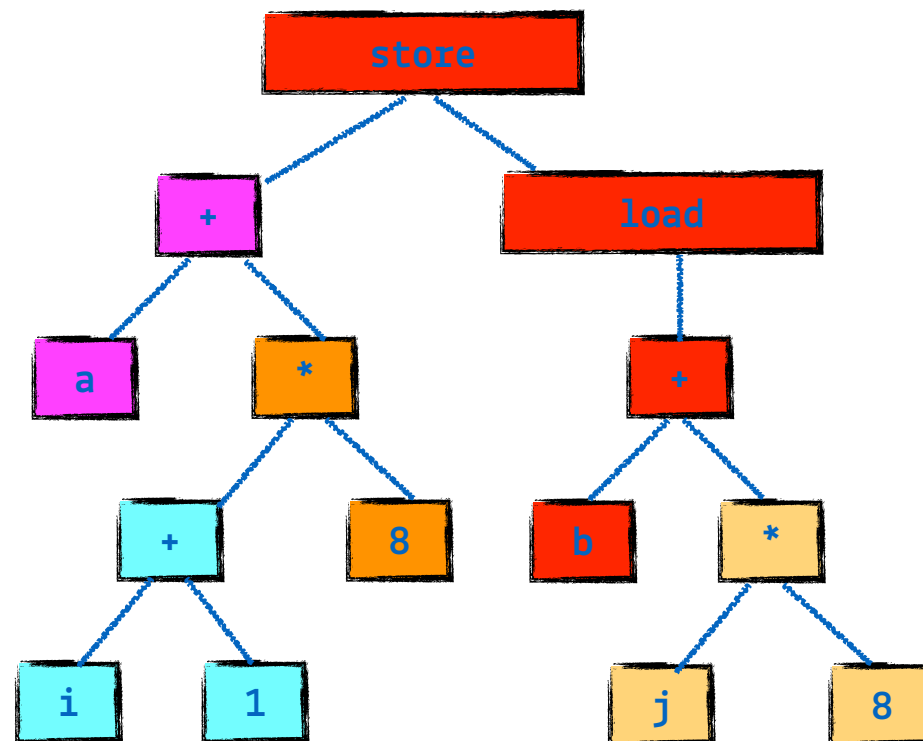
# Comparing the tilings

- Alternate tilings give different costs

Using `store`  $r_b, r_a$



Using `movex`  $r_j, r_b, r_a$



# Better than trees

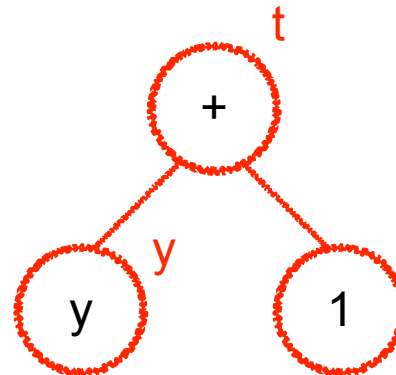
- If we let common sub-expressions be represented by the same node, the trees become *directed acyclic graphs* (DAGs)
- Separate labels and annotations
  - Label nodes with variables, constants or operators
  - Annotate nodes with variables that hold their value
  - Construct DAG from low-level IR

# Basic approach

- For each instruction in a basic block
  - if it's " $x = y \text{ op } z$ "
    - find or create a node annotated  $y$
    - find or create a node annotated  $z$
    - find or create a node labeled  $op$  with operands  $y$  and  $z$
    - remove annotation  $x$  from everywhere
    - add annotation  $x$  to the  $op$  node
  - if it's " $x = y$ "
    - find or create a node annotated  $y$
    - add annotation  $x$  to it

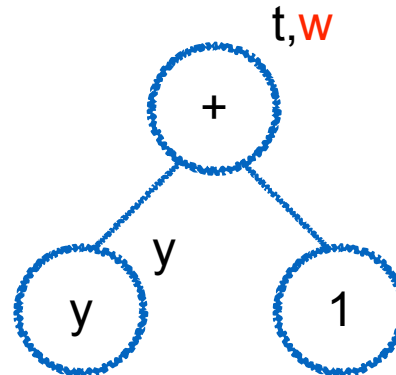
# Step 1

```
t = y + 1
w = y + 1
y = z * t
t = t + 1
z = t * y
w = z
```



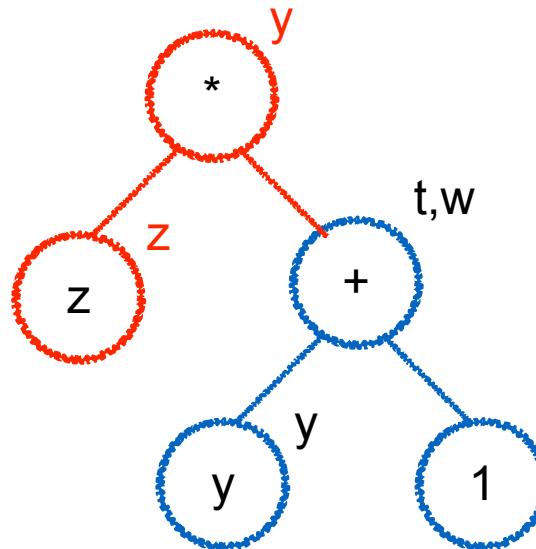
# Step 2

```
t = y + 1
w = y + 1
y = z * t
t = t + 1
z = t * y
w = z
```



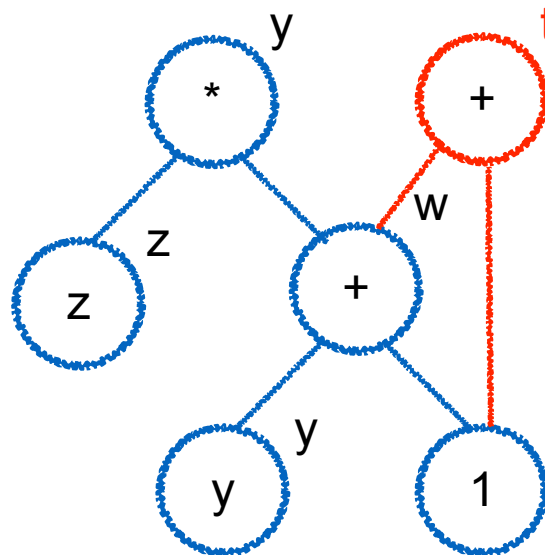
# Step 3

```
t = y + 1
w = y + 1
y = z * t
t = t + 1
z = t * y
w = z
```



# Step 4

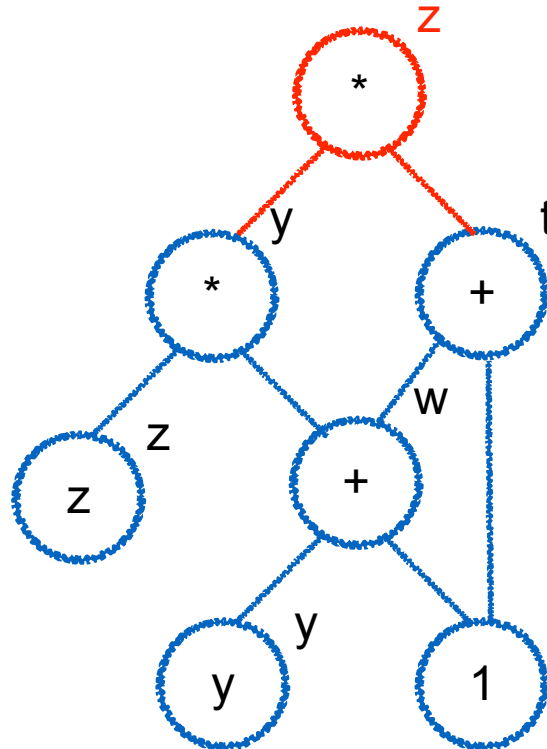
```
t = y + 1
w = y + 1
y = z * t
t = t + 1
z = t * y
w = z
```





# Step 5

```
t = y + 1
w = y + 1
y = z * t
t = t + 1
z = t * y
w = z
```



# Step 6

```
t = y + 1
w = y + 1
y = z * t
t = t + 1
z = t * y
w = z
```

